

		10
Ma	rks:	60

## SUBJECTIVE TYPE (PART- I)

Time: 2.10 Hours

Q2. Write short answers to any SIX (6) questions:

 $(6 \times 2 = 12)$ 

- (i) Define reciprocal equation.
- (ii) Write in standard from  $\frac{1}{x+4} + \frac{1}{x-4} = 3$
- (iii) Define 'Synthetic Division'.
- (iv) Write the quadratic equation having the roots  $3+\sqrt{2}$ ,  $3-\sqrt{2}$
- (v) Evaluate  $\omega^{37} + \omega^{38} + 1$
- (vi) Without solving, find sum and product of the roots of quadratic equation  $(a+b) x^2 ax + b = 0$
- (vii) Define 'Direct Variation'.

(viii) Find the fourth proportion to 8, 7, 6

(ix) Find 'x' 3x-2:4::2x+3:7

Q3. Write short answers to any SIX (6) questions:

 $(6 \times 2 = 12)$ 

(i) Define fraction.

- (ii) Resolve into partial fractions  $\frac{3x+3}{(x-1)(x+2)}$
- (iii) Find sets X and Y if  $X \times Y = \{(a,a),(b,a),(c,a),(d,a)\}$
- (iv) If  $Y = \{-2, 1, 2\}$ , then make two binary relations for  $Y \times Y$ .
- (v) Define range of relation.
- (vi) If  $A = \{1,2,3,4,5,6\}$  and  $B = \{2,4,6,8\}$ , then prove that  $A \cup B = B \cup A$
- (vii) The salaries of five teachers are as follows, find the mean salaries 11500, 12400, 15000, 14500, 14800 (viii) Define standard deviation.
- (ix) For the following data find harmonic mean:

4 8 5 12 X

Q4. Write short answers to any SIX (6) questions:

 $(6 \times 2 = 12)$ 

(i) Define coterminal angle.

- (ii) Convert  $\frac{13\pi}{16}$  into degree.
- (iii) Prove that  $\cos^4 \theta \sin^4 \theta = \cos^2 \theta \sin^2 \theta$
- (iv) Define zero dimension.(vi) Define tangent.

- (v) Define circumcircle.(vii) Define chord of the circle.
- (viii) Define circumangle.
  - i) Define circumangle (ix) Define vertices.

(PART - II)

Note: Attempt any THREE questions. Question number 9 is compulsory.

 $(3 \times 8 = 24)$ 

- Q5. (a) Solve:  $\sqrt{x+1} + \sqrt{x-2} = \sqrt{x+6}$ 
  - (b) Solve the simultaneous equations:  $4x^2 5y^2 = 6$
- $3x^2 + y^2 = 14$

Q6. (a) If  $\frac{a}{b} = \frac{c}{d} = \frac{e}{f}$  (a,b,c,d,e,f  $\neq$  0), then by using K-method show that:  $\frac{a}{b} = \sqrt{\frac{a^2 + c^2 + e^2}{b^2 + d^2 + f^2}}$ 

- (b) Resolve  $\frac{7x+4}{(3x+2)(x+1)^2}$  into partial fractions.
- Q7. (a) If  $A = \{1,2,3,4,5,6\}$ ,  $B = \{2,4,6,8\}$  and  $C = \{1,4,8\}$ , then prove that
  - $A \cup (B \cap C) = (A \cup B) \cap (A \cup C)$
  - (b) Find standard deviation 'S' of the set of numbers: 12, 6, 7, 3, 15, 10, 18, 5

Q8. (a) Prove that:  $\sqrt{\frac{1+\cos\theta}{1-\cos\theta}} = \frac{\sin\theta}{1-\cos\theta}$ 

- (b) Draw two circles with radii 2.5 cm and 3cm. If their centres are 6.5 cm apart, then draw two direct common tangents.
- Q9. Prove that A straight line drawn from the centre of a circle to bisect a chord (which is not a diameter) is perpendicular to the chord.
- (OR) Prove that the measure of a central angle of a minor arc of a circle is double than that of the angle subtended by the corresponding major arc.

NO	correct, fill that cir	ers A, B, C and D to cle in front of that qu sult in zero mark in th	each question are given. The lestion with Marker or Pen in at question.	choice which you think is k. Cutting or filling two or	
Q1.		41 141	er to a galles, or t		
1.	The length of a diam	ter of a circle is	times the radius of the ci	rcle.	
	(A) 1	(B) 2	(C) 3	(D) 4	
2.	France is most grant contrat angles of a chick are always.				
~	(A) congruent		(C) parallel	(D) perpendicular	
3.	Radii of a circle are:		Established to the state of the		
(11	(A) all equal		(B) all un-equal		
	(C) double of the diar		(D) half of any chord	as and	
4.			from its mean is always:	The state of the s	
5.	(A) zero	(B) 1	(C) same	(D) 2	
٥.	A set with no elemen			2.4	
6.	(A) empty set			(D) supper set	
٠.	In a proportion a: b (A) means	(B) extremes		(D) C 4	
	A CANADA MARK AND E			(D) fourth proportional	
7.	$\frac{1}{\alpha} + \frac{1}{\beta}$ is equal to:	(A) (I	3) $\frac{1}{\alpha} - \frac{1}{\beta}$ (C) $\frac{\alpha - \beta}{\alpha \beta}$	(D) $\frac{\alpha + \beta}{\alpha \beta}$	
8.	The number of terms	s in a standard quad	ratic equation $ax^2 + bx + c =$		
	(A) 1	(B) 2	(C) 3	(D) 4	
9.	The circumference of	f a circle is called:		(2)	
	(A) chord	(B)-segment	(C) boundary	(D) diameter	
10.	A line which has two			(D) Graniete	
	(A) sine of a circle	(B) cosine of a circ		(D) secant of a circle	
11.	The number of eleme			(b) secum of a choic.	
	(A) 4	(B) 6	(C) 9	(D) 8	
100	$x^3 + 1$		101	(2).0	
12.	(x-1)(x+2) is		ction (C) an identity	- Mark 1982	
-	(A) a proper fraction	(B) an improper fra	ction (C) an identity	(D) a constant town	
			h have common end point is		
	(A) an angle	(B) a degree	7 ms	10 AZZELEM 1 SHOUL SECTION	
14.	Find 'x' in proportion		(C) a minute	(D) a radian	
*	(A) $\frac{75}{4}$	(B) $\frac{4}{3}$	(C) $\frac{3}{4}$	(D) 12	
	Cube roots of '-1' are		Sp. 3. 4 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	(D) 12	
	(A) $-1,-\omega,-\omega^2$	(B) $-1, \omega, -\omega^2$	(C) -l,-ω,ω²	(D) $1, -\omega, -\omega^2$	

SUBJECTIVE TYPE (PART- 1) Time: 2.10 Hours Marks: 60 Q2. Write short answers to any SIX (6) questions:  $(6 \times 2 = 12)$ Solve  $x^2 - 11x = 152$  by factorization. Solve  $5x^2 = 30x$  by factorization. (ii) (iii) Evaluate  $\omega^{37} + \omega^{38} - 5$ (iv) If  $\alpha$ ,  $\beta$  are the roots of the equation  $4x^2 - 5x + 6 = 0$ , then find the value of  $\alpha^2 \beta^2$ (v) Write the quadratic equation having roots 1+i, 1-i(vi) Define synthetic division. (vii) Find the value of p if the ratios 2p + 5: 3p + 4 and 3: 4 are equal. (viii) If  $y \propto \frac{1}{x}$  and y = 4 when x = 3, find x when y = 24(ix) Find mean proportional between 20 and 45. Q3. Write short answers to any SIX (6) questions: Resolve into partial fractions  $\frac{3x+3}{(x-1)(x+2)}$  (ii) Define identity. (iii) If  $A = \{0,2,4\}$ ,  $B = \{-1,3\}$ , then find  $A \times A$  and  $B \times B$ . (iv) Define intersection of sets. (v) If  $A = \{1,2,3,4,5\}$  and  $B = \{2,4,5,6,8\}$ , then find  $A \cap B$  and  $A \cup B$ . (vi) Write De-Morgan's laws. (vii) Define moving averages. (viii) Find geometric mean of the observations 2, 4, 8 by using basic formula. (ix) The marks of seven students in mathematic are 45,60,74,58,65,63,49. Calculate arithmetic mean. Q4. Write short answers to any SIX (6) questions: (ii) Convert  $\frac{13\pi}{6}$  radian to degree measure. Define 'Coterminal Angle'. (iii) Prove that  $\frac{\sin \theta + \cos \theta}{\cos \theta} = 1 + \tan \theta$ (iv) Define 'Right Angle'. (v) What is major arc of a circle? (vi) Define secant. (viii) Define 'Chord of a Circle'. (vii) Define segment of a circle. (ix) Define 'Polygon'. (PART - II) Attempt any THREE questions. Question number 9 is compulsory. Solve the equation:  $5x^{\frac{1}{2}} = 7x^{\frac{1}{4}} - 2$ (b) Prove that:  $x^3 + y^3 = (x + y)(x + \omega y)(x + \omega^2 y)$ Using theorem of componendo-dividendo, find the value of  $\frac{x+2y}{x-2y} + \frac{x+2z}{x-2x}$  if  $x = \frac{4yx}{y+z}$ . Resolve  $\frac{7x+4}{(3x+2)(x+1)^2}$  into partial fractions. If  $A = \{1,2,3,4,5,6\}$ ,  $B = \{2,4,6,8\}$  and  $C = \{1,4,8\}$ , then prove that  $A \cap (B \cup C) = (A \cap B) \cup (A \cap C)$ The marks of seven students in mathematics are as follows. Determine variance: Students 2 3 5 6 4 7 60 Marks 65 1– sinθ = 4tanθ secθ 1+sinθ 1-sin0 (b) Inscribe a circle in an equilateral triangle ABC with each side of length 5cm. Q9. Prove that, two chords of a circle which are equidistant from the centre, are congruent.

(OR) Prove that, the measure of a central angle of a minor arc of a circle, is double that of the angle

subtanded by the corresponding major arc.