



Name

Mathematics Paper – XI (01) (18)

1- ہر سوال کے سامنے چار دائرے دئے گئے ہیں، صرف صحیح جواب والا دائرہ بھریں۔

2- دائروں کو شیڈ (بھرنے) کے لئے ٹیپے یا کالر رنگ کا مارکر استعمال کریں۔

3- جواب میں ایک سے نامکروائے بھرنے سے جواب غلط تصور ہوگا۔

Roll No

Time Allowed: 20 Minutes

SECTION – A

Marks : 20

- 1 Solution of $2x + 3 < x$ is..... $x > 3$ $x < -3$ $x > -3$ $x \geq 3$
- 2 $\cos(\alpha - \beta) - \cos(\alpha + \beta) = \dots\dots\dots$ $2\cos\alpha \cos\beta$ $2\sin\alpha \cos\beta$ $2\sin\alpha \sin\beta$ $2\cos\alpha \sin\beta$
- 3 $\cos\left(\frac{3\pi}{2} - \theta\right) = \dots\dots\dots$ $\cos\theta$ $-\cos\theta$ $\sin\theta$ $-\sin\theta$
- 4 $2\cos\left(\frac{\theta + \phi}{2}\right) \sin\left(\frac{\theta - \phi}{2}\right) = \dots\dots\dots$ $\sin\theta - \sin\phi$ $\sin\theta + \sin\phi$ $\cos\theta + \cos\phi$ $\cos\theta - \cos\phi$
- 5 In half angle formula $\sqrt{\frac{S(S-C)}{ab}} = \dots\dots\dots$ $\sin\frac{\alpha}{2}$ $\cos\frac{\alpha}{2}$ $\cos\frac{\gamma}{2}$ $\sin\frac{\beta}{2}$
- 6 $\tan\left(\frac{-37\pi}{4}\right) = \dots\dots\dots$ $\frac{\pi}{4}$ 1 0 -1
- 7 $(2i - 3j) \times K = \dots\dots\dots$ $3i - 2j$ $-3i - 2j$ $3i + 2j$ $2i - 3j$
- 8 $j \cdot i \times K = \dots\dots\dots$ 0 1 -1
- 9 In inserting n arithmetic means between a and b then $b = \dots\dots\dots$ a_n a_{n-1} a_{n+1} a_{n+2}
- 10 In the Geometric Sequence $-96, 24, -6, \dots\dots\dots$ the fifth term is..... $\frac{3}{2}$ $-\frac{3}{8}$ 3 -2
- 11 $\frac{5!}{6!4!} = \dots\dots\dots$ $\frac{1}{136}$ $\frac{1}{124}$ $\frac{1}{144}$ $\frac{1}{30}$
- 12 $\sum_{i=0}^n \binom{n}{i} a^{n-i} b^i = \dots\dots\dots$ $(a - b)^n$ $(a + b)^n$ $(a + b)^{-n}$ $(a - b)^{-n}$
- 13 A function which is both one - one and onto is called..... Injective Surjective Bijective None of these
- 14 $i^{-3} = \dots\dots\dots$ i $-i$ 1 -1
- 15 $z\bar{z}$ is equal to..... $|z|^2$ z \bar{z} $|-z|$
- 16 In $(x + iy)^2$ the real part is..... x $x^2 + y^2$ $x^2 - y^2$ $2xy$
- 17 If $A^t = A$ then A is called..... Transpose matrix Symmetric matrix Skew symmetric Inverse matrix
- 18 A system $AX = 0$ of three homogeneous linear equations in three variables has..... solution if $|A| \neq 0$. Many Unique Trivial Non-trivial
- 19 A square matrix is identity matrix if and only if $a_{ij} = 0$ for $i \neq j$ and $a_{ij} = 1$ for..... $i = j$ $i < j$ $i > j$ None of these
- 20 $K \times j = \dots\dots\dots$ i $-i$ j K

PR XI (01) 18 T-360
MATHEMATICS (New)
 Inter Part-I
 (Fresh/Reappear)

Note: Time allowed for Section – B and Section – C is 2 Hours and 40 minutes.

Marks: 50

Section – B

Q-II Answer any TEN parts. Each part carries FIVE marks.

1. Separate into real and imaginary parts $(3 - 4i)^{-1}$.
2. Evaluate. $\begin{bmatrix} 3 & 1 & 2 \\ 6 & -5 & 4 \\ -9 & 8 & -7 \end{bmatrix}$
3. If $P = 2i - j$ and $q = xi + 3j$ then find the value x such that $|p + q| = 5$
4. Find a unit vector perpendicular to both $a = i + j + 2k$ and $b = -2i + j - 3k$.
5. Find x so that $x + 7, x - 3, x - 8$ forms a three term geometric sequence in the given order.
6. Sum to n terms the series $1 + 2x + 3x^2 + 4x^3 + \dots$
7. Solve for $n, {}^n P_5 = 9({}^{n-1} P_4)$
8. $2^n > n \quad \forall n \in \mathbb{N}$ prove.
9. Find the point of intersection graphically of the functions $f(x) = -x + 2$ $g(x) = 2x + 1$
10. Prove that $\frac{\cos^3 \theta - \sin^3 \theta}{\cos \theta - \sin \theta} = \frac{2 + \sin 2\theta}{2}$
11. In any triangle ABC, show that $\frac{a+b}{a-b} = \frac{\tan\left(\frac{\alpha+\beta}{2}\right)}{\tan\left(\frac{\alpha-\beta}{2}\right)}$
12. Find the period of $y = \frac{1}{2} \sec x$
13. Show that $\sin^{-1} x + \cos^{-1} x = \frac{\pi}{2}$

Section – C

Marks: 30

Note : Attempt any THREE questions. Each question carries equal marks.

- Q-III (a) Find the rank of $\begin{bmatrix} 1 & 0 & -2 \\ 2 & 2 & 1 \\ -1 & 2 & 3 \end{bmatrix}$
- (b) How many terms are there in the arithmetic sequence in which the first and the last terms are $\frac{33}{4}$ and $\frac{25}{2}$ respectively and the common difference is $\frac{1}{8}$
- Q-IV (a) Find n and r if ${}^n P_r = 840$ and ${}^n C_r = 35$
- (b) Prove that $2^{2n} - 1$ is multiple of 3 for all positive integers.
- Q-V (a) An isosceles triangle has a vertical angle of 108° and a base 20 cm long. Calculate its altitude.
- (b) Minimize $f(x,y) = 3x + 4y$ subject to the constraints $2x + 3y \geq 6, x + y \leq 8, x \geq 0, y \geq 0$.
- Q-VI (a) Find the area of the inscribed circle of the triangle with measures of the sides 55m, 25m and 70m.
- (b) Show that $\cos(\sin^{-1} x - \sin^{-1} y) = \sqrt{(1-x^2)(1-y^2)} + xy$