In Figures:,			PR XI (01) 18 STATISTICS Inter Part-I (Fresh / Reappear)				Superintendent Signature / Stamp:			
			(For Board's	s Offic	ce use only)	L				
•						_	Fig. No.			(
•.:					TICS	. O. J	FIG. INU.		<u> </u>	-
				r Pa		. 1 -	(For Board)	i		
Time	Allowed: 3 Hours	•	(Fresh /	Re	appear) 🧢		ing on participation	·	Marks	. 06
Note: Time	There are THREE sections in Attempt Section-A on the sa No marks will be awarded for case, Mobile Phone etc are Allowed: 20 minutes	me r Cu not	paper and retu Itting, Erasing allowed in the	rn it I or (exai	to the Supering. Dverwriting. mination hail.	ntend Mark	4.74		time. vill lead to U Marks	FM
Q-I	Write the correct option i.e								part.	
i.	Any numerical value calculated from sample is called	A.	Parameter	8.	Statistic	С.	Population	D.	None of these	
il.	A variable having values refer to non-numerical qualities, is called variable.	A.	Quantitative	В.	Discrete	C.	Qualitative	D.	None of these	
iii.	For construction of frequency polygon we drawon x-axis.	Α.	Class marks	В.	Class boundaries		Class limits	D.	None of these	Ī
iv.	The median of 5,3,2,7,10 is	Α.	2	B.	5	C.	7	D.	None of these	
V.	For two positive values of a variate, the square of G.M is theof A.M and H.M.	Α.	Product	В.	Sum	C.	Difference	Ď.	None of these	1
vi.	Variance is theof standard deviation.	Α.	Square root	В.	Square	C.	Reciprocal	D.	None of these	
vii.	If $b_2 = 3$ then the distribution is	Α.	Leptokurtic	В.	Mesokurtic	C.	Platykurtic	D.	None of these	Ī
vili.	Fishers index number is of Laspyre's and Paasches index numbers.	Α.	A.M	В.	H.M	8	G.M	D.	None of these	(
ix.	The index number for the base period is always equal to	Α.	1	В.	10	C.	100	D.	1000	
X.	A pair of coin and dice are rolled simultaneously, the number of sample points are	A.	36	В,	4	C.	8	D.	12	(
xi.	$P(A) + P(\overline{A}) =$	A.	Zero	В.	P(S)	c.	ф	D.	None of these	F
xii.	P(S) =	A.	One	В.	Zero	C.	0.5 1	D.	None of these	
xiii.	If E(x) = $\frac{2}{3}$ and E (x ²) = $\frac{8}{9}$, then standard deviation is	Α.	4 9	В.	94	C.	$\frac{2}{3}$	D.	None of these	
xiv.	If $f(x) = Kx$ $0 \le x \le 2$, then for p.d.f the value of K is	A.	0.6	в.	0.5	c.	0.9	D.	None of these	<u> </u>
XV.	A mean of uniform distribution over the interval [-1, 1] is	Α.	1 2	В.	2	C.	Zero	D.	None of these	
xvi.	If X is a random variable and "a" is constant then Var(ax)=	Α.	a ² var(x)	В.	a var(x)	C.	aS.D(x)	D.	None of these	F
xvii.		Α.	Equal to	В.	Less than	C.	Greater than	D.	None of these	
xviii.	If x is a random variable and "a" is any constant then E(ax) =	A.	a ² E(x)	В.	aE(x)	C.	E(x)	D,	None of these	7

PR XI (01) 18

P-380

STATISTICS

Inter Part - I (Fresh / Reappear)

Note:

Time allowed for Section - B and Section - C is 2 Hours and 40 minutes.

Section - B

Marks: 40

- Q-II Answer any TEN parts. Each part carries FOUR marks.
 - 1. Distinguish between descriptive and inferential statistics.
 - Discuss the importance of statistics in any two disciplines.
 - Differentiate between primary and secondary data.
 - 4. Illustrate by pie chart the following data of expenditure.

Items of expenditure	Food	Clothing	Housing	Fuel lighting	Miscellaneous
%age of total expenditure	65	10	12	5	8

- 5. State any four properties of arithmetic mean.
- 6. Find the G.M of 1,7,18,65,91 and 103
- 7. What is meant by the term "coefficient of variation"?
- 8. Compute the price relative for the following data using 1989 as base.

Year	1987	1988	1989	1990	1991	1992
Price	160	162	145	165	170	175

- 9. Differentiate between fixed base method and chain method.
- 10. How many distinct permutation can be formed from all the letters of the word "INFINITY"?
- 11. Find probability distribution of the number of heads when a coin is tossed three times.
- 12. Find mean of the following distribution.

ſ	Х	0	1	2	3
	f(x)	0.3	0.5	0.1	0.1

13. The mean and variance of a binomial distribution are 42 and 12.6 respectively. Find P and n.

Section - C

Marks: 27

Note:

Attempt any THREE questions. All questions carry equal marks.

Q-III

Compute median, Q1 and Q3 from the following distribution of age group.

Age in year	15-19	20-24	25-29	30-34	35-39	40-44	45-49	50-54	55-59	60-64
Frequency	2	10	. 19	27	16	27	6	5	3	2

Q-IV Following are the marks obtained by two students during the first 8 monthly tests of their statistics class.

Student - I	113	118	105	109	120	117	115	115
Student - II	10	9	20	20	12	3	20	2

Who is the more consistent student.

Q-V State and prove addition theorem of probability for not mutually exclusive events.

Q-VI The probability that a patient recovers from a rare blood disease is 0.5. If 10 people are known to have contracted this disease. What is the probability that. i. Atleast 10 survive ii. From 3 to 8 survive iii. Exactly 5 survive.